27/11-06

# Reading List for Econ 4130 autumn 2006 – for Rice ed. 3 (Updated)

## Rice chap. 2

- 2.1 Review of discrete distributions. Read all.
- 2.2 Read all except section 2.2.4.
- 2.3 Read all.
- 2.4 Read all.

## Rice chap. 3

- 3.1 Read all.
- 3.2 Read all.
- 3.3 Skip example E and paragraph before. Otherwise read the rest.
- 3.4 Skip example E. Otherwise read the rest.
- 3.5.1 Read all.
- 3.5.2 Skip examples B and D and E. Otherwise read the rest.
- 3.6.1 Skip example B and the preceding paragraph starting with "Let us next …".
- 3.6.2 Read proposition A and the paragraph before, starting with, "For the general case....". In addition read example C.
- 3.7 Can be skipped.

## Rice chap. 4

- 4.1 Introduction. Read all.
- 4.1.1 Skip example A. Otherwise read the rest.
- 4.1.2 Read theorem A and example A until the paragraph starting with, "An application of the binomial distribution and ....". Read also example E.
- 4.2 Read all.
- 4.3 Read all.
- 4.4 Read all.
- 4.5 Read all until and including example G. Skip the rest.
- 4.6 Skip example A and C. Otherwise read the rest.

## Rice chap. 5

Read all in conjunction with "Lecture notes to Rice chap.5"

## Rice chap. 8

Read all of "Lecture note to Rice chapter 8"

## Sections in the book:

- 8.1 Read all.
- 8.2 Read all.
- 8.3 Read all.
- 8.4 Skip example D.

- 8.5 Skip example D.
- 8.5.1 Skip example A.
- 8.5.2 Skip the "proofs" of Lemma A and Theorem B.
- 8.5.3 Skip examples C and D.
- 8.6 Can be skipped.
- 8.7 Skip example A and the proof of Theorem A.
- 8.7.1, 8.8, 8.8.1, 8.8.2 can be skipped.
- 8.9 Read all.

## Rice chap. 9

9.1 Read all.

#### 9.2 Can be skipped.

9.3 Read all.

#### 9.4 Can be skipped.

9.5 Read what is relevant for Pearson's chi-square test, i.e., from the start until "The likelihood ratio is therefore" on p. 311. Then on p. 311, read from "Under  $\Omega$ , the cell probabilities...." until and including the sentence "Pearson's statistic and the likelihood ratio are asymptotically equivalent under  $H_0$ ." [Addition: This means that  $\chi^2$  is asymptotically chi-square distributed with m-k-1 degrees of freedom.]. Read also example C, but calculate Pearson's  $\chi^2$  instead of  $-2\ln\Lambda$  as in the book. It is also a good idea to read section 8.5.1 again.

#### 9.6, 9.7, 9.8 can be skipped.

9.9	Read	all

9.10 Read all.

#### Rice chap. 10 - chap. 15 can be skipped.